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GLOBAL ATTRACTING AND QUASI-INVARIANT SETS FOR STOCHASTIC VOLTERRA-LEVIN EQUATIONS WITH JUMPS

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Abstract. In this paper, based on two new integral inequalities and stochastic analysis techniques, the global attracting and quasi-invariant sets of the solution for stochastic Volterra-Levin equations with Poisson jumps are obtained, respectively. Some well-known results are generalized and improved.

Keywords. Global attracting, Quasi-invariant, Stochastic Volterra-Levin equations, Poisson jumps.

AMS (MOS) subject classification: 34K50, 60H15.

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