H^P -BOUNDEDNESS OF HANKEL HAUSDORFF OPERATOR INVOLVING HANKEL TRANSFORMATION

S.K.Upadhyay¹, Ravi Shankar Pandey¹ and R.N.Mohapatra ²

 $^1\mathrm{Department}$ of Mathematical Sciences , DST(CIMS) Institute of Technology Banaras Hindu University, Varanasi-221005 (India) Email: sk_upadhyay2001@yahoo.com

 $^2 \mbox{Department}$ of Mathematics University of Central Florida Orlando, FL 32816,USA Email: ramm1627@gmail.com

Abstract. In this paper the $H^p(0,\infty)$ -boundedness of Hankel Hausdorff operator involving Hankel transformation is investigated by the method used by Y. Kanjin [1]. Some properties related to Hankel Hausdorff operator on $H^p(0,\infty)$ space are discussed. **Keywords.** Hankel transformation, Atomic decomposition, Hankel Hausdorff operator, Hardy space

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