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## THE GAMMA FUNCTION ON TIME SCALES

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**Abstract.** We introduce the generalized Gamma function on time scales and prove some of its properties, which coincide with the ones well known in the continuous case. We also define an appropriate factorial function for computing the values of the generalized Gamma function in some special cases.

Keywords. Gamma function, Time scales.

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